

**EXISTENCE OF BEST PROXIMITY PAIRS FOR MULTIVALUED
MAPPINGS SATISFYING CONTRACTIVE CONDITIONS IN
HYPERBOLIC SPACES**

S. Jone Jayashree and A. Anthony Eldred*

Department of Mathematics,
Holy Cross College (Autonomous),
Trichy - 620002, Tamil Nadu, INDIA

E-mail : jone_shree@rediffmail.com

*Department of Mathematics,
St. Joseph's College (Autonomous),
Trichy - 620002, Tamil Nadu, INDIA

E-mail : anthonyeldred@yahoo.co.in

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Abstract: We consider two nonempty subsets \mathcal{A} and \mathcal{B} be of a hyperbolic space $(\bar{X}, d, \mathcal{W})$ and $T : \mathcal{A} \rightarrow 2^{\mathcal{B}}$ is a multivalued nonself-mapping. We establish a existence theorem for a best proximity pair \bar{x} such that $d(\bar{x}, T\bar{x}) = d(\mathcal{A}, \mathcal{B}) = \inf\{d(x, y) : x \in \mathcal{A}, y \in \mathcal{B}\}$.

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1. Introduction

The classical fixed point problem deals with the objective to seek a invariant point of a mapping $T : \mathcal{X} \rightarrow \mathcal{X}$, where \mathcal{X} is a complete metric space endowed with a